1.1 Propositional Logic

1.1 pg. 13 # 13

Let p and q be the propositions

- p: You drive over 65 miles per hour.
- q: You get a speeding ticket.

Write these propositions using p and q and logical connectives (including negations).

- b) You drive over 65 miles per hour, but you do not get a speeding ticket.
- c) You will get a speeding ticket if you drive over 65 miles per hour.
- f) You get a speeding ticket, but you do not drive over 65 miles per hour.
- g) Whenever you get a speeding ticket, you are driving over 65 miles per hour.

1.1 pg. 14 # 23

Write each of these statements in the form "if p, then q" in English. [Hint: Refer to the list of common ways to express conditional statements.]

- a) It snows whenever the wind blows from the northeast.
- b) The apple trees will bloom if it stays warm for a week.
- c) That the Pistons win the championship implies that they beat the Lakers.
- d) It is necessary to walk 8 miles to get to the top of Long's Peak.

1.1 pg. 14 # 25

Write each of these propositions in the form "p if and only if q" in English.

- a If it is hot outside you buy an ice cream cone, and if you buy an ice cream cone, it is hot outside.
- b For you to win the contest it is necessary and sufficient that you have the only winning ticket.
- c You get promoted only if you have connections, and you have connections only if you get promoted.
- d If you watch television your mind will decay, and conversely.

1.1 pg. 15 # 33

Construct a truth table for each of these compound propositions

- a) $(p \lor q) \to (p \oplus q)$
- c) $(p \lor q) \oplus (p \land q)$
- d) $(p \leftrightarrow q) \oplus (\neg p \leftrightarrow q)$

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Construct a truth table for each of these compound propositions

- a) $p \to (\neg q \lor r)$
- b) $\neg p \rightarrow (q \rightarrow r)$
- d) $(p \to q) \land (\neg p \to r)$
- f) $(\neg p \leftrightarrow \neg q) \leftrightarrow (q \leftrightarrow r)$

1.1 pg. 16 # 43

Find the bitwise OR, bitwise AND, and bitwise XOR of each of these pairs of bit strings.

- a) 101 1110, 010 0001
- b) 1111 0000, 1010 1010
- $c)\ 00\ 0111\ 0001,\ 10\ 0100\ 1000$
- d) 11 1111 1111, 000 0000 0000